

ABOUT LIMITS OF THE FORCE SHOULDER FROM THE GENERATOR TO ROLLING ELEMENT OF BEARING

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ABSTRACT	KEY WORDS
The article presents calculations for determining the force arm from the generator to the rolling element in order to determine the value of the generator force from the magnitude of the arm on the desired rolling elements	Pressure angle, wheel profile, generator pressure angle, rolling body, force arm, gear ratio, radius of rolling bodies, reaction, generator, wheel.

Introduction

Rolling elements are an integral part of modern technologies. These mechanisms must have high productivity, operate under high loads and high wear. To calculate these loads and design highly efficient mechanisms, it is necessary to know the reactive forces, stresses, force arms and pressure angles of these elements.

In addition to the force from the generator, the rolling element in the mechanism under consideration is affected by reactions from the separator and the profile wheel. In Figure 1, the transmission section with the rolling element and sections of the conjugate elements is taken separately to construct the calculation scheme of the forces.

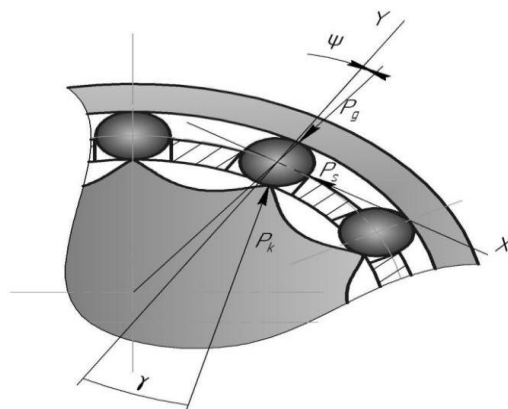


Figure 1 - Reactions of the rolling element from the side of the generator, separator, and profile wheel.

P_g – reaction from the generator, k – reaction from the profile wheel, P_s – reaction from the separator, ψ – at generator pressure point on the rolling element, γ – angle of pressure of the profile wheel on the rolling element

To determine the numerical values of angles ψ and γ let's refer to work [1].

Thus, to determine the angle ψ let's turn to formula (1):

$$(1) \psi = \arcsin\left(\left(\frac{e}{r_2}\right) \sin(\beta)\right)$$

Where r – radius of the centers of the rolling elements.

To determine γ we enter the values of radial and tangent components of speed V_1 and V_2 .

$$V_1 = e \cos(\psi) \cos(\beta) - e \sin(\beta) \quad (2)$$

$$V_2 = (3) \frac{S}{i_0}$$

Where i_0 – gear ratio;

S – the distance from the center of the generator to the circle of the centers of the rolling elements;

e – transmission eccentricity;

ψ – at generator pressure point on the rolling element;

β – angle of rotation of the input link.

Ratio for (4):

$$\gamma = \left| \arctg \frac{V_1}{V_2} \right| \quad (4)$$

Referring to (Fig. 3) we compose a system of equations of static equilibrium (5,6):

$$P_g \cos(\psi) - P_k \cos(\gamma) = 0 \quad (5)$$

$$-P_s - P_k \sin(\gamma) + P_g \sin(\psi) = 0 \quad (6)$$

About the relation (5) we express (7):

$$P_k = (7) - \frac{P_g \cos(\psi)}{\cos(\gamma)}$$

Underputting (7) into (6) we express P_s (8):

$$P_s = P_g = \left(\frac{-\cos(\psi) \sin \gamma + \cos \gamma \sin \psi}{\cos \gamma} \right) \quad (8)$$

Next, to determine the shoulders, let's refer to Figure 2: a_i^r

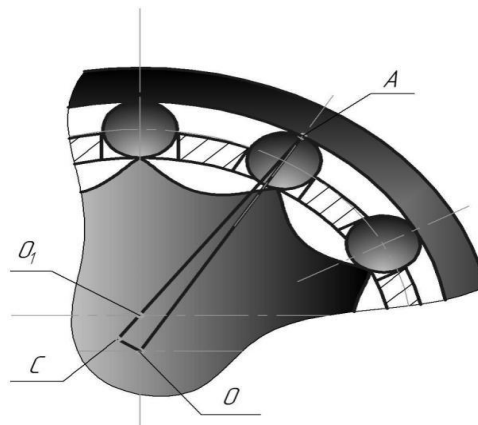


Figure 2 - Geometric diagram for determining the lever arm h_g from the generator to the rolling element

Let us consider triangle OO₁A in Figure 4. Let us determine the height of this triangle hg, which corresponds to segment CO. To determine this height, let us use formula (9):

$$CO = \frac{2}{O_1A} \sqrt{P(P - OO_1)(P - OA)} \quad (9)$$

where P is the semiperimeter of triangle OO₁A.

This formula is obtained by determining the height through the value of the semi-perimeter [2].

We determine the value of the semiperimeter using formula (10):

$$P = \frac{AO_1 + OA + OO_1}{2} \quad (10)$$

Let's determine the values of the segments:

$$AO_1 = r_t + r_{tk} \quad (11)$$

$$OO_1 = S + r_{tk} \quad (12)$$

$$OO_1 = e \quad (13)$$

Where e – transmission eccentricity;

S – distance from the center of the generator to the circle of the centers of the rolling elements;

r_2 – radius of the circle of the centers of the rolling elements.

Distance S will be determined by the following formula:

$$S = e \csc \beta + \sqrt{r^2 - e^2 \sin^2(\beta)} \quad (14)$$

Thus, formula (9), taking into account the above values,

we rewrite the segments as:

$$P = \frac{r_2 + S + 2r_{tk} + e}{2} \quad (15)$$

Underputting (15) into (9) we obtain the following formula:

$$CO = \frac{2}{r_2 + r_{tk}} \sqrt{P(P - e)(P - r_2 - r_{tk})(P - S - r_{tk})} \quad (16)$$

The length of CO corresponds to the desired value of hg, respectively.

Conclusion

Using Microsoft Excel software, it is possible to determine each value of the hg arm and, by substituting it into the formula for finding the force from the generator on any rolling element, determine the values of the generator forces from the value of the arm on the desired rolling elements.

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