



**RESEARCH OF THE AERODYNAMIC MODE OF THE DRYER DRUM OF
THE CLEANING SECTION**

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ABSTRACT

The article gives the results of a theoretical study of the aerodynamic regime of pneumatic systems, providing a combination of drying and cleaning processes in cotton dryer drums, increasing the cleaning effect on fine litter and dust.

The movement of two phases (debris and air) into the systems for removing contaminated air from the drying chamber was studied.

The main task was to determine the angle of curvature of the pipe of the main channel, as well as other mechanical and geometric shapes of the side channels and flow.

A scheme has been drawn up for the development of analytical formulas for determining the hydroaerodynamic and other parameters of a mixture of litter and air.

When solving the problem, to ensure the uniformity of the distribution of litter and air in the channels, use the theory of a complex variable.

Formulas for determining the geometric dimensions of pneumatic pipes are obtained.

KEYWORDS

Litter, dust potential flow, complex variable function, phase velocities, canonical domain.

Introduction

The high level of contamination and defects in the fiber produced at ginneries has a negative impact on the sustainable implementation of technological processes in the spinning process and the quality of yarn.

The high impurity of machine-picked cotton and its stronger adhesion to the fiber make it difficult to clean.

The frequency of cleaning cotton from fine and coarse contaminants in ginneries is carried out at the level of maximum mechanical impact on cotton [1]. Improving the cleaning efficiency by installing additional cleaners to the technological processes increases the amount of defects in the fiber.

Therefore, the cleaning efficiency of cotton in the initial processing can be increased by finding the internal capacity of existing cleaners and creating new ones without additional mechanical impact on the cotton.

In this direction, a number of researchers [2, 3, 4, 5, 6] have made recommendations for cleaning cotton in drying drums, and the last part of the drum has been replaced by a different surface to create

By a special method, we determine the secondary measurement of the liquid mixture (two media) droplet flow according to the scheme shown in Figure 1.

The theory of stable liquid droplets is used, using the theory of complex change function [10] to ensure equal distribution of the two media (dust-air mixture) down the vertical channel (Fig. 1 on the BE parameter). This is done in a parametric form. In the center of the auxiliary field, the above C_t (Figure 2) is taken $t = \xi_{ti\eta}$ variable parameter.

This task is performed using the reflection of the field C_t (Fig. 2) at the complex potential $+W_{(t)} = \varphi + i\psi$ and using the Zhukovsky function.

$$\omega_{n(t)} = \tau + i\theta \text{ or } \omega_{n(t)} = \ln F(\rho_{n1}v_n) e^{i\theta}$$

$$i = \ln \frac{V_{n0}}{V_n} = \ln F(\rho_{n1} v_n) \quad \theta_{(t)}\text{- vector angle } \varphi \text{ - velocity potential,}$$

ψ - current function.

$$F(\rho_{n1}v_n) = \sqrt{\frac{\rho_1 V_{10}^2 + \rho_2 V_{20}^2}{\rho_1 V_1^2 + \rho_2 V_2^2}} = \frac{V_{n0}}{V_n}$$

$$(n = \overline{1,2})$$

In the single-phase (single-plane) liquid state $\omega(t) = \ln \frac{V_0}{V} + i\theta, m, e$ that is

$$F = (\rho_n, V_n) = \frac{V_0}{V}. \quad V_0 = const.$$

In this case $V_n(t)$ the product of the function on t is as follows

$$\frac{dW_n}{dt} = -\frac{q_n}{\pi(t-d)} \tag{3}$$

$\omega_n(t)$ Using the finite values of the Zhukovsky function, we obtain:

$$J_m \omega_n(t) = \begin{cases} -\infty < \xi < -1, \eta = 0; -\frac{\pi}{2} \text{ conditions} \\ -1 < \xi < 1, \eta = 0; -\alpha\pi \text{ conditions} \\ 1 < \xi < d, d < \xi < e, \eta = 0; 0 \text{ conditions} \\ e < \xi < \infty, \eta = 0; -\frac{\pi}{2} \text{ conditions} \end{cases}$$

From here we obtain the following according to the Schwartz integral formula [4] for each phase

$$\text{velocity. } \omega_n(t) = \frac{1}{\pi} \int_{-\infty}^{+\infty} \frac{J_m \omega_n(t)}{\xi - t}$$

In the spread view

$$\omega_n(t) = \frac{1}{\pi} \left[-\frac{\pi}{2} \int_{-\infty}^{-1} \frac{d\xi}{\xi - t} - \alpha\pi \int_{-1}^1 \frac{d\xi}{\xi - t} - \frac{\pi}{2} \int_e^{\infty} \frac{d\xi}{\xi - t} \right]$$

The complex velocity expression that is reflected at that time will have the following appearance.

$$V_n = V_{n0} \frac{(t-1)^\alpha (t+1)^{\frac{1}{2}-\alpha}}{\sqrt{t-e}} \tag{4}$$

For geometry using (3) and (4)

$$\frac{dz}{dt} = -\frac{F}{\pi} * \frac{\sqrt{t-e}}{(t-1)^\alpha (t+1)^{\frac{1}{2}-\alpha}} * \frac{L_A}{t-d} = -\frac{F}{\pi} \sqrt{\frac{t-e}{t+1}} * \left(\frac{t+1}{t-1}\right)^\alpha * \frac{L_A}{t-d} \tag{5}$$

$F = \frac{V_n}{V_{n0}} = \sqrt{\frac{\rho_1 q_1^2 + \rho_2 q_2^2}{\rho_1 V_{10}^2 + \rho_2 V_{20}^2}}$ especially at the beginning of the channel $F = L_A = H$ conditions if $q_n = HV_{n0}f_n$, at that time

$$F = H \sqrt{\frac{(1-f_2)^2 + f_2^2 g}{1+g}} \quad (6)$$

V_{10}, V_{20} - (AA) at the beginning of the channel (Figure 1) phase velocity.

Here $H=L_A$ - width of vertical channel (Figure 1)

$$g = \frac{\rho_2}{\rho_1} \left(\frac{V_{20}}{V_{10}}\right)^2 \quad f_1 + f_2 = 1, \quad f_1, f_2 - \text{phase concentration:}$$

Formula (5) for geometric recommendations of flow and we will have a spreadsheet using from $dt = dx + idy = c_1 f(\xi, \eta) * (d\xi + id\eta)$

$$dx + idy = c_1 \frac{[(\xi - e) + i\eta]^{\frac{1}{2}} [(\xi - d) + i\eta]^{-1}}{[(\xi - 1) + i\eta]^{\alpha} [(\xi + 1) + i\eta]^{\frac{1}{2} - \alpha}} * (d\xi + id\eta)$$

From (5) we obtain the following view based on the connection between the flexible BC wall and the BE channel width:

$$L_{BE} = L_{BC} \cos \alpha\pi, \quad L_{BE} = |L_{BE}|, \quad L_{BC} = |L_{BC}| \quad (8)$$

$$L_A = L_{BE} = \text{const} \quad (\text{с } 3\text{m})$$

It is then important to determine the reflection parameters d, e and α and check the velocities of the parts along the vertical walls along the lengths AB and EA. They should be the same at any point in the interval. $-\infty < t < -1$ along the AB length (axis) and $e < t < +\infty$ along the EA length (axis). In particular, in the case where $t = -1,5$ EA along the length (axis) of AB is assumed to be $t = 1,2$ along the length (axis), $V_{BA}(-1.5) = V_{EA}(1.2)$ at these points. Only in this case the mixture is absorbed evenly across the width of the vertical channel (BE=AA).

Conclusion

Formulas for determining the geometric dimensions of pneumatic pipes have been developed, which allow to absorb the same amount of dirt and dusty air along the length of the cleaning section of the drying drum.

They can be used to design a system that absorbs dirt and dust from the drum. This requires a series of experiments to determine the size of the fraction of pollutants in the air and their aerodynamic parameters.

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